The Vulnavian Degree Network Level 2

<u>Integration - Study Guide</u>

<u>Task 0298</u>: Differentiation & Integration of Integrals (9 pages)

| 0298 : Differentiation & integration of integr | ais (9 page |
|---|-------------|
| 1. Differentiation of Indefinite Integrals | (Pg.1) |
| Example 1: $\int e^{px} dx = (1/p)e^{px}$ | (Pg.1) |
| Example 2: $\int \frac{1}{p^2 + x^2} dx = \frac{1}{p} \tan^{-1} \frac{x}{p}$ | (Pg.2) |
| <u> </u> | |
| 2. Differentiation of Definite Integrals | (Pg.3) |
| $\frac{\exp(p)}{\text{Example 1: } I(p) = \int \cos(px) dx}$ | (Pg.4) |
| 1 x | |
| Example 2: $\int x^n e^{-px} dx$ | (Pg.5) |
| 0 | |
| Example 3: $I(p) = \int e^{-px} \sin x dx$ | (Pg.7) |
| 3. Integration of Definite Integrals | (Pg.9) |
| Example Example | (1 5.7) |
| Differentiation & Integration of Integrals (Not Included on the Standard Edition CD Task 0300: Double Integrals (13 page) | D .) |
| 1. Definition of a Double Integral | (Pg.1) |
| 2. The Double Integral for a Region R | (Pg.3) |
| Enclosed by a Closed Curve C | ~ · · |
| 3 Properties of a Double Integral | (Pg.4) |
| Example 1: $I = \iint (2x + y^2) dx dy$ | (Pg.5) |
| Example 2: $I = \iint \{x^2 + 3y^2\} dx dy$ $\pi \sin x$ | (Pg.7) |
| Example 3: $I = \int dx \int \sin x dy$ | (Pg.9) |
| $\frac{0}{1} \cos^{-1} y$ | |
| Example 4: $I = \int dy \int \sqrt{\sin x} dx$ | (Pg.10) |
| $ \begin{array}{ccc} 0 & 0 \\ 1 & \sqrt{(3+y^2)} \end{array} $ | (D. 11) |
| Example 5: $I = \int dx \int f(x, y) dy$ | (Pg.11) |
| 4. Applications of Double Integrals | (Pg.12) |
| | |

Example

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<u>Task 0300x</u>: Double Integrals (6 pages)

1. Transforming to Polar Coordinates (Pg.1) in Double Integrals.

Example 1:
$$I = \int \int \{\sqrt{(x^2 + y^2)} - x \} dx.dy$$
 (Pg.2)

Example 2:
$$I = \iint x^2 dy.dx$$
 (Pg.4)

Example 3:
$$I = \int \exp(-x^2) dx$$
 (Pg.6)

END OF THE STUDY GUIDE FOR INTEGRATION